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## - Tin Texas Instruments

 T3 FRANCE
## Coding with Python



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| Instructions |  | Python Instructions | Note |
| :---: | :---: | :---: | :---: |
| Opérations et fonctions mathématiques |  |  |  |
| $a^{b}$ |  | $a^{* *} \mathrm{~b}$ | shortcut : |
| Quotient of Euclidian division of $a$ by $b$ |  | $a / / b$ |  |
| Rest of Euclidian division of $a$ by $b$ |  | a\%b |  |
| $\sqrt{a}$ | Need to be imported from the math library <br> Shorcut : | from math import* sqrt(a) | Shorcut: <br> sart() |
| $\pi$ |  | from math import* pi | Shortcut: |
| $\sin (a)$ $\cos (a$ |  | from math import* $\sin (a)$ <br> from math import* $\cos (a)$ | Shortcut: |
| round $a$ with a $b$ precision |  | round (a,b) |  |
| Return the minimum between $a$ et b |  | $\min (a, b)$ |  |
| Return the maximum between $a$ et b |  | $\max (\mathrm{a}, \mathrm{b})$ |  |
| Saisie et affectation |  |  |  |
| enter $a$ |  | $\begin{aligned} & \mathrm{a}=\operatorname{int}(\text { input("a= ")) } \\ & \mathrm{a}=\text { float(input("a= ")) } \\ & \mathrm{a}=\operatorname{input("a=")} \end{aligned}$ | To avoid |
| Displ |  | print (a) |  |
| Assign $a$ in the variable $x$ |  | $\mathrm{x}=\mathrm{a}$ | natural langage : $x \leftarrow a$ <br> Shortcut: |
| Assign $a$ in the variable $x$ and $b$ in the variable $y$ |  | $x, y=a, b$ |  |

## Coding with Python




## Coding with TI-Python




## Coding with TI-Python





Maths library


Random library

| CédITEUR : AIREDEF |
| :--- |
| Math module |
| Math Const Trig |
| 1ife |
| 2:pi |
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|  |
| Modul |



## Exercise1: Function

Rewrite this algorithm as concisely as possible using a function.

| MORMAL FIXEG AUTO REEL RAD MP EDIT MENU: [alpha] [f5] | [ |
| :---: | :---: |
| PROGRAM : ACT1 |  |
| : Input "Xa ", A |  |
| :Input "Ya ",B |  |
| : Input " Xb ", C |  |
| : Input "Yb ", |  |
| $:(\mathrm{A}+\mathrm{C}) / 2 \rightarrow \mathrm{I}$ |  |
| $:(B+D) / 2 \rightarrow J$ |  |
| :Disp I, J |  |
| : |  |
| : |  |

## Exercise 2 : Conditional statement

A photo printing website offers prints at $0.11 €$ each. The price is reduced to $0.11 €$ each for orders of more than 200 photos.

Create an algorithm which gives the total price for a number $n$ of prints.


## Exercise 3 : Closed loop



The population of a village is 2300 today. As the village is growing, its population increases each year by 150 inahbitants.

Design an algorithm which gives the number of inhabitants of this village in $n$ years from today.

## Exercise 4 : Open loop

On the first January 2018 the price of a new car was $20000 €$. Each year the value of the car diminishes by $20 \%$.

Write an algorithm which calculates the number of years which takes the value of the car to below $2000 €$.


## Exercise 5 : the hare and the tortoise



One part of the hare and tortoise game goes like this: The distance to run is 6 squares. The die is thrown and if a six comes up the hare advances 6 squares, otherwise the tortoise goes forward one square.

1) Programme a simulation of this game using Python.
2) Write a piece of script which returns the number of wins of the hare and the tortoise.

## Exercise 6 : Primeness test

A prime number is a whole number with exactly two distinct positive divisors (which are 1 and itself). Contrary to this a number which is the non zero product of two distinct whole numbers, neither of which is 1 is said to be composite.

A test for primeness is an algorithm which reveals whether a whole number is prime. The simplest test is the following: to test N , one verifies if it is divisible by one of the whole numbers between 2 and $\mathrm{N}-1$. If the response is negative then N is prime, otherwise it is composite.

Write an algorithm which tests for primeness and returns a boolean. Use the instruction assert ( $\mathrm{n}>=2$ ) (found in the instruction catalogue) to verify the hypothesis made in the argument.

## Exercise 7 : Approximation of $\sqrt{2}$ by sweeping

Considerate the function $f: x \mapsto x^{2}$ define on the interval [1;2].

1) Construct the table of variations of the function $f$ on $[1 ; 2]$. Give the minimum and maximum on this interval.
2) Is this table coherent with this sentence : the equation $f(x)=2$ has an only solution on the interval [1;2] wich is $\sqrt{2}$ ?
3) Write a function « balayage(epsilon) » wich return a couple ( $a, b$ ), with $a$ and $b$ such as: $a \leqslant \sqrt{2} \leqslant b$ et $b-a=e p s i l o n$. For example balayage(0.1) must display : $(1.4,1.5)$

## Exercise 8 : Pythagorean Triplet

1) In order to verify automatically whether or not triples of consecutive whole numbers are Pythagorean, the above code was written.

Use the code to test the triples $(3,4,5)$ and $(4,5,6)$.

2) a) Create in the same document and following the function " rectangle " a function "triplet". This should accept a whole number $N$ as argument and test all the consecutive triplets from ( $1,2,3$ ) up to ( $\mathrm{N}, \mathrm{N}+1, \mathrm{~N}+2$ ) and use the function "rectangle".
b) Test the programme for $\mathrm{N}=100$ then bigger values. What conjecture can you make?
3) Proof :

Let $a$ be the smallest of the consecutive whole number Pythagorean Triples.
a) Construct and simplify the equation $a^{2}+(a+1)^{2}=(a+2)^{2}$

Show that validating the conjecture is the same as solving the equation $a^{2}-2 a-3=0$.
b) Prove that $(a-3)(a+1)=a^{2}-2 a-3$.
c) Solve the equation and write down your conclusions.
7) Write a function that search Pythagorean triplets

Exercise 1 : Function

| TI Basic | NORMAL FIXE2 RUTO REEL RAD MP <br> ÉDIT MENU: [ $\alpha$ 1pha.] [f5] <br> PROGRAM: ACT1 <br> :Effécran! <br> :Fixe 2 <br> :Input "Xa ", A <br> :Input "Ya ",B <br> :Input "Xb ", C <br> :Input "Yb ",D <br> $:(\mathrm{A}+\mathrm{C}) / 2 \rightarrow \mathrm{I}$ <br> $:(B+D) / 2 \rightarrow J$ <br> :Effécran | :Output (5,5," I Milieu de [AB] :") <br> : Output (6,10," (") <br> : Output $(6,11, I)$ <br> : Output $(6,17, " ; ")$ <br> : Output $(6,19, \mathrm{~J})$ <br> :Output (6,23,")") |  |
| :---: | :---: | :---: | :---: |
| Python |  |  | PYTHON SHELL <br> >>> milieu(2,4,4,6) <br> (3.0, 5.0) <br> $\ggg 1$ <br> Fns...\|a A \# Outils|Éditer|Script |

Exercise 2 : Conditional statement

| TI <br> Basic | NORMAL FIXE2 AUTO REEL RAD MP <br> ÉDIT MENU: [a.1pha.] [f5] <br> PROGRAM: ACT2 <br> :Effécranl <br> :Fixe 2 <br> : Input "Number ",N <br> : If $\mathrm{N}<200$ <br> : Then <br> $: 0.11 * N \rightarrow M$ <br> :Else <br> $: 0.08 * N \rightarrow M$ <br> : End | ```:Output(5,5,"Price to pay : ") :Output (5,19,M)``` | NORMAL FIXEZ AUTO RÉEL RAD MP <br> Number 100 $\qquad$ Fait <br> Price to pay : 11.00 |
| :---: | :---: | :---: | :---: |
| Python |  |  | PYTHON SHELL <br> >>> photo(165) <br> 18.15 <br> >> photo(314) <br> 25.12 <br> >> \| <br> Fns....a A \# Outils\|éditer|Script |

Exercise 3 : Closed loop

| $\begin{gathered} \mathrm{TI} \\ \text { Basic } \end{gathered}$ |  |  |
| :---: | :---: | :---: |
| Python |  |  |

Exercise 4 : Open loop

| TI Basic | NORMAL FIXE2 futo RÉEL RAD MP <br> ÉDIT MENU: [a.1pha.] [f5] <br> PROGRAM: ACT4 <br> :Effécran <br> :Fixe 2 <br> :Input "Price ? ",V <br> : $0 \rightarrow \mathrm{~N}$ <br> : While $V \geq 2000$ <br> : 0.8*V $\rightarrow V$ <br> $: 1+N \rightarrow N$ <br> : End <br> : Disp N |  |
| :---: | :---: | :---: |
| Python |  | PYTHON SHELL <br> >> prix(20000) <br> 11 <br> $\ggg 1$ |

Exercise 5 : The hare and the tortoise

| TI Basic |  | ```:If N=6 :Then :Disp "The Turtle wins" :Else :Disp "The hare wins" : End :Fixe 9!``` |  |
| :---: | :---: | :---: | :---: |
| Python | ```EDITEUR : TORTUE LIGNE DU SCRIPT 0002 from random import randint def course(): de=0 case=0 while de<6 and case<6: de=randint(1,6) case=case+1 print (de) if case==6: \|return "la tortue a gagn``` |  | PYTHON SHELL <br> >> course() <br> 4 3 3 3 2 5 4 4 <br> la tortue a gagné' <br> >> I <br> Fns....a A \# Outils\|Éditer|Script |

Exercise 6 : Primeness test

| TI Basic |  |  |
| :---: | :---: | :---: |
| Python |  | PYTHON SHELL <br> >>> premier(9) <br> False <br> >>> premier(19) <br> True <br> $\ggg 1$ <br> Fns...\|a A \#|Outils|ÉCiter|Script |

Exercise 7 : Approximation of $\sqrt{2}$ by sweeping

| $\begin{gathered} \mathrm{TI} \\ \text { Basic } \end{gathered}$ |  | PROGRAM: ACT7 <br> : $1 \rightarrow X$ <br> :Input "EPSILON ?", E <br> : While $X^{2}<2$ <br> : $\mathrm{X}+\mathrm{E} \rightarrow \mathrm{X}$ <br> : End <br> :Output (5,3,"[X-є,X]:") <br> : Output (5,13,X-E) <br> : Output (5,17,",") <br> : Output $(5,19, \mathrm{X})$ ■ |  |
| :---: | :---: | :---: | :---: |
| Python |  |  |  |

## Exercise 8 : Pythagorician Triplet

| $\begin{gathered} \mathrm{TI} \\ \text { Basic } \end{gathered}$ | ```PROGRAM: ACT61 :Prompt N \(: \operatorname{For}(\mathrm{I}, 1, \mathrm{~N})\) : If \(I^{2}+(I+1)^{2}=(I+2)^{2}\) :Then \(:\{\mathrm{I}, \mathrm{I}+1, \mathrm{I}+2\} \rightarrow \mathrm{L}_{1}\) : Disp L1 : Wait 2 : End : End``` | NORMAL FIXE9 RUTO REEL RAD MP <br> EDIT MENU: [a.1pha.] [f5] <br> PROGRAM: ACT6 <br> :Effécran <br> : Prompt A <br> : If $A^{2}+(A+1)^{2}=(A+2)^{2}$ <br> :Then <br> : Disp "YES" <br> :Else <br> : Disp "NO" <br> : End |  |
| :---: | :---: | :---: | :---: |
| Python |  |  |  |

